# Improved Cryptographic Technique by Square Matrix with Column Cells and Uniform Point Crossover on Binary Field 

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#### Abstract

A new cryptographic algorithm is introduced. This technique uses three keys for encryption and decryption. A nearby square matrix with few column cells is used to place the input plain text in a unique manner. The left diagonal's positional value will be the key-1 with that key intermediate cipher text is produced. A 7-digit random number is generated as key-2. According to the digits of key-2 the section division, the block division process and the crossover point is finalized. Uniform point crossover is applied on the binary field of intermediate cipher text to produce complex final cipher text.


Keywords: Plain-text, Key, Intermediate Cipher-text, Cipher-text, Encryption, Decryption, Crossover.

## I. INTRODUCTION

Cryptography is an indispensable tool for protecting information in computer systems. Cryptography is the study of mathematical techniques related to aspects of information security such as confidentiality, data integrity, entity authentication, and data origin authentication. It is the technique by which the data is encrypted at the transmitter side and is decrypted again at the receiver side keeping the data secure from eavesdropper. It is method where the data is sent in the disguised form only to the intended recipients who can decrypt it and read the message. The encryption and decryption of the plain text (data) is done with the help of keys [1]. The keys are generated by the user or can be calculated or randomly generated depending upon the algorithm used. The data that is transmitted can be sent bit by bit or in blocks to the recipient. The block sizes and the key length are variable and can be fixed by the user at the beginning of the ciphering. Ciphering is the process of conversion of data into disguised form. Cryptographic technique using substitution followed by genetic function has been carried out in different ways [2]. Many genetic algorithm based encryption have been proposed describe a new symmetrical block ciphering system named ICIGA (Improved Cryptography Inspired by Genetic Algorithms) which generates a session key in a random process [3], [4]. ICIGA is an enhancement of the system (GIC) "Genetic algorithms Inspired Cryptography" [5]. Generation of block cipher and stream cipher [6].The Crossover operator has the significance in genetic function algorithms. Two parent blocks are considered and a crossover point is finalized according to the type of the crossover operation being performed. The crossover operation is performed to get the modified child blocks. In GAs different types of crossover are available [7], [8], [9]. A new algorithm for encryption and decryption is introduced. The algorithm is based on the process of substitution and genetic function. In this proposed model the number of letters of input plain text is placed into a cells in a specific manner, and key- 1 is
calculated. By using this key, the plain text is transformed into intermediate cipher text. A key-2 along with genetic function is used to obtain the final cipher text. By doing the inverse operation the plain text is obtained from the final cipher text.

## II. THE PROPOSED TECHNIQUE

In the proposed technique, each letter of the input plain text is placed into a matrix of cells according to the number of letters in the input plain text. If the number of letters in the input plain text is a square number then they are placed in a square matrix. If the number of letter of input plain text is not a square number then a nearby least square matrix with column cells should be selected to place the plain text. The arrangement of letters of input plain text into a square matrix with column cells is shown in Figure-1.


Figure-1. Pattern for arranging plain text in matrix of cells
The three keys are used in this technique. The key-1 is generated by adding positional value ( $\mathrm{A}=1$, $B=2, \ldots \ldots . Z=26$ ) of letters placed in left diagonal position of the matrix of cells. Each of the positional value of letters in the matrix is then added with Key-1 to generate intermediate cipher text. The intermediate cipher text will be the new string of characters different from the plain text. The intermediate cipher text will be converted into a binary code of 64-bits of ASCII value. A 7-digit random
number is generated as key-2. The first digit of the key-2 is the section number by which all the bits are divided into sections. The each section will be divided into blocks according to the last 6 digits of random number. Genetic function uniform point crossover is performed on blocks of bits of each section. If the total block number of a section is even, each block crossed over with the next block to produce level-1 modified blocks otherwise first block, N block (where N is odd) and second block, fourth block is crossed over and so on to produce Level 1 modified blocks. The number of blocks in each section will be key- 3 of the proposed technique.

## III. FLOW CHART REPRESENTATION OF UNIFORM POINT CROSSOVER GENETIC FUNCTION

The block diagram of crossover when the number of blocks in each section is even is shown in Figure - 2. Each block is denoted by a number.
$\mathrm{N}=$ even number.


Figure - 2. Representation of crossover if the number of blocks is even

The block diagram of crossover when the number of blocks in each section is odd is shown in Figure - 3. Each block is denoted by a number. $\mathrm{N}=$ odd number.


Figure - 3. Representation of crossover if the number of blocks is odd

## IV. EXAMPLE

A. Encryption

Let the Plain text is:
SPAINRUSSIAINDIAGERMANYSINGAPORE. Size of the plain text is 32 . A nearby least square matrix to 32 is 5*5 is selected along with 7 column cells to place the plain text in the cells which is shown in the Figure-4.

| S | P | I | U | A | A | A |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| A | N | S | I | G | N | N |
| R |  | N | E | Y | G |  |
| I | D | R | S | A | O |  |
| I | M | I | P | R | E |  |

Figure - 4. Arrangement of 32 characters of plain text into of cells

Key $1=$ Position Value of 'S' + Position Value of ' N ' + Position Value of ' N ' + Position Value of ' S ' + Position Value of 'R' $=19+14+14+19+18=84 \quad$ [Where, $A=1 \ldots \ldots \ldots \ldots . . . . z=26]$

The Key 1 will be added with each letter's position value to generate the intermediate cipher text.
$\mathbf{S}=19+84=103=\mathbf{Y}, \mathrm{P}=16+84=100=\mathbf{V}, \mathrm{A}=1+84$ $=85=\mathbf{G}, \mathrm{I}=9+84=93=\mathbf{O}, \mathrm{N}=14+84=98=\mathbf{T}, \mathrm{R}=$ $18+84=102=\mathbf{X}, \mathrm{U}=21+84=105=\mathbf{A}, \mathrm{S}=19+84=$ $103=\mathbf{Y}, \mathrm{S}=19+84=103=\mathbf{Y}, \mathrm{I}=9+84=93=\mathbf{O}, \mathrm{A}=$ $1+84=85=\mathbf{G}, \mathrm{I}=9+84=93=\mathbf{O}, \mathrm{N}=14+84=98=$ $\mathbf{T}, \mathrm{D}=4+84=88=\mathbf{J}, \mathrm{I}=9+84=93=\mathbf{O}, \mathrm{A}=1+84=$ $85=\mathbf{G}, \mathrm{G}=7+84=91=\mathbf{M}, \mathrm{E}=5+84=89=\mathbf{K}, \mathrm{R}=18$ $+84=102=\mathbf{X}, \mathbf{M}=13+84=97=\mathbf{S}, \mathrm{A}=1+84=85=$ $\mathbf{G}, \mathrm{N}=14+84=98=\mathbf{T}, \mathrm{Y}=25+84=109=\mathbf{E}, \mathrm{S}=19+$ $84=103=\mathbf{Y}, \mathrm{I}=9+84=93=\mathbf{O}, \mathrm{N}=14+84=98=\mathbf{T}, \mathrm{G}$ $=7+84=91=\mathbf{M}, \mathrm{A}=1+84=85=\mathbf{G}, \mathrm{P}=16+84=$ $100=\mathbf{V}, \mathrm{O}=15+84=99=\mathbf{U}, \mathrm{R}=18+84=102=\mathbf{X}, \mathrm{E}$ $=5+84=89=\mathbf{K}$

Intermediate cipher text: YVOAGGGGTYOMTTXYTKEMOJXYGUOSOVXK Intermediate cipher text in cells is shown in Figure-5.

| Y | V | O | A | G | G | G |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| G | T | Y | O | M | T | T |
| X | Y | T | K | E | M |  |
| O | J | X | Y | G | U |  |
| O | S | O | V | X | K |  |

Figure-5. Arrangement Intermediate cipher text in cells
Each letter of the matrix is represented in 64 bits Binary code of ASCII value. So that, total bits number of intermediate cipher text will be: $32 * 64$ bits $=2048$ bits as shown Table-1.

TABLE I
REPRESENTATION OF INTERMEDIATE CIPHER IN 64 BITS BINARY CODE OF ASCII VALUE

| Chara <br> cter | Binary Code(64-bits) of ASCII value |
| :---: | :--- |
| Y | 000000000000000000000000000000000 <br> 0000000000000000000000001011001 |
| V | 000000000000000000000000000000000 <br> 0000000000000000000000001010110 |
| O | 000000000000000000000000000000000 <br> 0000000000000000000000001001111 |
| A | 000000000000000000000000000000000 <br> 0000000000000000000000001000001 |
| G | 00000000000000000000000000000000 <br> 0000000000000000000000001000111 |
| G | 000000000000000000000000000000000 <br> 0000000000000000000000001000111 |
| G | 000000000000000000000000000000000 <br> 0000000000000000000000001000111 |


| G | 000000000000000000000000000000000 |
| :---: | :---: |
|  | 0000000000000000000000001000111 |
| T | 000000000000000000000000000000000 |
|  | 0000000000000000000000001010100 |
| Y | 000000000000000000000000000000000 |
|  | 0000000000000000000000001011001 |
| O | 000000000000000000000000000000000 |
|  | 0000000000000000000000001001111 |
| M | 000000000000000000000000000000000 |
|  | 0000000000000000000000001001101 |
| T | $000000000000000000000000000000000$ |
|  | 0000000000000000000000001010100 |
| T | 000000000000000000000000000000000 |
|  | 00000000000000001010100 |
| X | 000000000000000000000000000000000 |
|  | 0000000000000000000000001011000 |
| Y | 000000000000000000000000000000000 |
|  | 0000000000000000000000001011001 |
| T | 000000000000000000000000000000000 |
|  | 0000000000000000000000001010100 |
| K | 000000000000000000000000000000000 |
|  | 0000000000000000000000001001011 |
| E | 000000000000000000000000000000000 |
|  | 0000000000000000000000001000101 |
| M | 000000000000000000000000000000000 |
|  | 0000000000000000000000001001101 |
| O | 000000000000000000000000000000000 |
|  | 0000000000000000000000001001111 |
| J | 000000000000000000000000000000000 |
|  | 0000000000000000000000001001010 |
| X | 000000000000000000000000000000000 |
|  | 0000000000000000000000001011000 |
| Y | 000000000000000000000000000000000 |
|  | 0000000000000000000000001011001 |
| G | 000000000000000000000000000000000 |
|  | 0000000000000000000000001000111 |
| U | 000000000000000000000000000000000 |
|  | 0000000000000000000000001010101 |
| O | 000000000000000000000000000000000 |
|  | 0000000000000000000000001001111 |
| S | 000000000000000000000000000000000 |
|  | 0000000000000000000000001010011 |
| O | 000000000000000000000000000000000 |
|  | 0000000000000000000000001001111 |
| V | 000000000000000000000000000000000 |
|  | 0000000000000000000000001010110 |
| X | 000000000000000000000000000000000 |
|  | 0000000000000000000000001011000 |
| K | 000000000000000000000000000000000 |
|  | 0000000000000000000000001001011 |

Binary representation of intermediate cipher text is:
00000000000000000000000000000000000000000000000 00000000001011001000000000000000000000000000000 00000000000000000000000000010101100000000000000 00000000000000000000000000000000000000000000100 11110000000000000000000000000000000000000000000 00000000000000100000100000000000000000000000000 00000000000000000000000000000001000111000000000

00000000000000000000000000000000000000000000000 01000111000000000000000000000000000000000000000 00000000000000000010001110000000000000000000000 00000000000000000000000000000000000100011100000 00000000000000000000000000000000000000000000000 00000101010000000000000000000000000000000000000 00000000000000000000001011001000000000000000000 00000000000000000000000000000000000000010011110 00000000000000000000000000000000000000000000000 00000000010011010000000000000000000000000000000 00000000000000000000000000101010000000000000000 00000000000000000000000000000000000000000001010 10000000000000000000000000000000000000000000000 00000000000001011000000000000000000000000000000 00000000000000000000000000000010110010000000000 00000000000000000000000000000000000000000000000 10101000000000000000000000000000000000000000000 00000000000000000100101100000000000000000000000 00000000000000000000000000000000001000101000000 00000000000000000000000000000000000000000000000 00001001101000000000000000000000000000000000000 00000000000000000000010011110000000000000000000 00000000000000000000000000000000000000100101000 00000000000000000000000000000000000000000000000 00000000101100000000000000000000000000000000000 00000000000000000000000001011001000000000000000 00000000000000000000000000000000000000000010001 11000000000000000000000000000000000000000000000 00000000000010101010000000000000000000000000000 00000000000000000000000000000100111100000000000 00000000000000000000000000000000000000000000001 01001100000000000000000000000000000000000000000 00000000000000001001111000000000000000000000000 00000000000000000000000000000000010101100000000 00000000000000000000000000000000000000000000000 00010110000000000000000000000000000000000000000 000000000000000000001001011

A 7-digit random number is generated as key-2. The key-2 generated is: 6543278 . Depending upon the digits of key-2 the 2048 bits of intermediate cipher text will be divided into sections and blocks.

The first digit of key- 2 is 6 i.e., they are divided into 6 sections and each section will be further divided into 5,4 , $3,2,7,8$ blocks respectively as $5,4,3,2,7,8$ are the next digits of key-2.

Section 1 is divided into 5 blocks.
Section 2 is divided into 4 blocks Section 3 is divided into 3 blocks. Section 4 is divided into 2 blocks. Section 5 is divided into 7 blocks. Section 6 is divided into 8 blocks.

Each section contains $(2048 / 6)=341$ bits
Discard the remainder $(2048 \% 6)=2$ bits for future use.
Last 2 bits ' 11 ' will be discarded from the intermediate cipher as the remainder is 2 .

| Section 1 ( Each Block contains(341/5) bits or 68 bits with 1 |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| remainder |  |  |  |  |
| Block 1 | Block 2 | Block 3 | Block 4 | Block 5 |
| 00000000 | 00000000 | 00000000 | 00000000 | 00000000 |
| 00000000 | 00000000 | 00000000 | 00000000 | 00000000 |
| 00000000 | 00000000 | 00000000 | 00000000 | 00000000 |
| 00000000 | 00000000 | 00000000 | 00000000 | 00000000 |
| 00000000 | 00000000 | 00000000 | 00000000 | 00000000 |
| 00000000 | 00000000 | 00000000 | 00000100 | 01000111 |
| 00000000 | 00000101 | 01001111 | 00010000 | 00000000 |
| 01011001 | 01100000 | 00000000 | 00000000 | 00000000 |
| 0000 | 0000 | 0000 | 0000 | 00001 |
|  |  |  |  |  |


| Section 2 ( Each Block contains(341/4) bits or 85 bits with 1 <br> remainder |  |  |  |
| :---: | :---: | :---: | :---: |
| Block 1 | Block 2 | Block 3 | Block 4 |
| 0000000000 | 0000000000 | 1000000000 | 0000000000 |
| 0000000000 | 0000010001 | 0000000000 | 0000000000 |
| 0000000000 | 1100000000 | 0000000000 | 0000000000 |
| 0000001000 | 0000000000 | 0000000000 | 0000000101 |
| 1110000000 | 0000000000 | 0000000000 | 1001000000 |
| 0000000000 | 0000000000 | 0000000010 | 0000000000 |
| 0000000000 | 0000000000 | 1010000000 | 0000000000 |
| 0000000000 | 0000000001 | 0000000000 | 0000000000 |
| 00000 | 00011 | 00000 | 000000 |


|  |  |  |
| :---: | :---: | :---: |
| block | block | Blod3 |
| оо00000000000 |  | о⿰亻0<000 |
| 1011110000000 | ¢00000000000 | о00000 |
| оо0000000000 | 101000000000 | ¢00000000000 |
| 1000000000 | с00000000000 | 101100000 |
| ¢00000000000 | 5000 | ооо000000000 |
| 000001011010000 |  | ¢00000 |
|  | coomolatio |  |
| 0000000 | ¢000000 | 00000 |


| Section $4($ Each Block contains(341/2) bits or 170 bits with 1 <br> remainder |  |
| :---: | :---: |
| Block 1 | Block 2 |
| 100000000000000000000000 | 00000000000000001000101 |
| 000000000000000000000000 | 00000000000000000000000 |
| 000000000010101000000000 | 00000000000000000000000 |
| 000000000000000000000000 | 00000000000100110100000 |
| 000000000000000000000000 | 00000000000000000000000 |
| 001001011000000000000000 | 00000000000000000000000 |
| 000000000000000000000000 | 00000010011110000000000 |
| 00 | 0000000000 |


| Section 5 ( Each Block contains(341/7) bits or 48 bits with 5 remainder |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Block 1 | Block 2 | Block 3 | Block 4 | Block 5 | Block 6 | Block 7 |
|  |  |  | 00000 |  |  | 00000 |
| 00000 | 00000 | 00000 | 00000 | 00000 | 00000 | 10101 |
| 00000 | 00000 | 10110 | 00000 | 00000 | 00000 | 01000 |
| 00000 | 00000 | 00000 | 00000 | 00000 | 00000 | 00000 |
| 00000 | 00000 | 00000 | 01011 | 00000 | 00000 | 00000 |
| 00000 | 00000 | 00000 | 00100 | 00000 | 00000 | 00000 |
| 00000 | 00000 | 00000 | 00000 | 00000 | 00000 | 00000 |
| 00000 | 00000 | 00000 | 00000 | 00000 | 00000 | 00000 |
| 00100 | 00000 | 00000 | 00000 | 00100 | 00000 | 00000 |
| 10100 | 00000 | 00000 | 000 | 01110 | 00000 | 00000 |
| 000 | 000 | 000 |  | 000 | 000 | 000 |
|  |  |  |  |  |  |  |


| Section 6 (Each Block contains(341/8) bits or 42 bits with 5 remainder |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Block1 | Block2 | Block3 | Block4 | Block5 | Block6 | Block7 | Block8 |
| 0000 | 0000 | 0110 | 0000 | 0000 | 1011 | 0000 | 0000 |
| 0000 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 |
| 0000 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 |
| 0000 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 |
| 1001 | 0000 | 0000 | 0010 | 0000 | 0000 | 0000 | 0000 |
| 1110 | 0000 | 0000 | 0111 | 0000 | 0000 | 1011 | 0000 |
| 0000 | 0000 | 0000 | 1000 | 0000 | 0000 | 0000 | 0000 |
| 0000 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 |
| 0000 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 |
| 0000 | 0010 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 |
| 00 | 10 | 00 | 00 | 10 | 00 | 00 | 0010 |

The block number of each section is the crossover point. ' X ' is the symbol represents the crossover operation. In the first section there are 5 blocks so the uniform crossover operation is performed from $5^{\text {th }}$ bit as shown below.

## Section 1: Number of Blocks 5 (Odd)

Block 1 X Block 5
$0000^{(1)} 0000^{(2)} 0000^{(3)} 0000^{(4)} 0000^{(5)} 0000^{(6)} 0000^{(7)} 0000^{(8)}$ $0000^{(9)} 0000^{(10)} 0000^{(11)} 0000^{(12)} 0000^{(13)} 0000^{(14)} 0101^{(15)}$ $1001^{(16)} 0000^{(17)}$
X
$0000^{(1)} 0000^{(2)} \quad 0000^{(3)} \quad 0000^{(4)} \quad 0000^{(5)} \quad 0000^{(6)} \quad 0000^{(7)}$ $\frac{0000^{(8)}}{00000^{(9)}} \frac{0000^{(10)}}{00100^{(11)}} \underline{0111^{(12)}} \underline{0000^{(13)}} 0000^{(14)}$ $0000^{(15)} 0000^{(16)} 0000^{(17)} \underline{1}^{1(18)}$
$0000^{(1)} 0000^{(1)} 0000^{(2)} 0000^{(2)} 0000^{(3)} \quad 0000^{(3)} 0000^{(4)}$ $0000^{(4)} \quad 0000^{(5)} \quad 0000^{(5)} \quad 0000^{(6)} \quad 0000^{(6)} 0000^{(7)} 0000^{(7)}$ $0000^{(8)} 0000^{(8)} 0000^{(9)}$
(Block 1.1)
$\begin{array}{ll}0000^{(9)} & 0000^{(10)} \\ 0000^{(13)} & 0000^{(13)} \frac{0000^{(10)}}{0000^{(14)}} 0000^{(11)} 0000^{(14)} \frac{0100^{(11)}}{0101^{(15)}} 0000^{(12)} 000^{(15)} \frac{0111^{(12)}}{1001^{(16)}}\end{array}$ $0000^{(16)} 0000^{(17)} \underline{0000^{(17)}} \underline{1^{(18)}}$
(Block 1.5)
Block 2 X Block 4
0000000000000000000000000000000000000000 0000000000000101011000000000

X
$\underline{0000} \underline{0000} \underline{0000} \underline{0000} \underline{0000} \underline{0000} \underline{0000} \underline{0000} \underline{0000} \underline{0000}$ $\underline{0000} 0100 \underline{0001} \underline{0000} \underline{0000} \underline{0000} \underline{0000}$
$0000 \underline{0000} 0000 \underline{0000} 0000 \underline{0000} 0000 \underline{0000} 0000 \underline{0000}$ $0000 \underline{0000} 0000 \underline{0000} 0000 \underline{0000} 0000$ (Block 1.2)
$\underline{0000} 0000 \underline{0000} 0000 \underline{0000} 0000 \underline{0100} 0000 \underline{0001} 0101$ 0000
$0110 \underline{0000} 0000 \underline{0000} 0000 \underline{0000}$ (Block 1.4)
Block 1.3 is same as Block 3 of section 1 .

## Section 2: Number of Blocks 4 (Even)

Block 1 X Block 2
000000000000000000000000000000000000100 011100000000000000000000000000000000000 0000000
X
$000 \underline{000} \underline{000} \underline{000} \underline{000} \underline{100} \underline{011} \underline{100} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000}$ $\underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000}$ $\underline{010} \underline{001} 1$
$000 \underline{000} 000 \underline{000} 000 \underline{000} 000 \underline{000} 000 \underline{000} 000 \underline{100} 000$ $\underline{011} 000 \underline{100} 000 \underline{000} 000 \underline{000} 000 \underline{000} 000 \underline{000} 100 \underline{000}$ $011 \underline{000} 1$ (Block 2.1)
$00 \underline{000} 000 \underline{000} 000 \underline{000} 000 \underline{000} 000 \underline{000} 000 \underline{000} 000 \underline{000} \underline{1} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{1} 0 \underline{0} 0 \underline{1} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0}$ 000000000000000000000000000000000010000 $\underline{001} 0 \underline{1}$ (Block 2.2)

Block 3 X Block 4
100000000000000000000000000000000000000 000000000000000000010101000000000000000 0000000

## X

$\underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{010}$ $\underline{110} \underline{010} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000}$ $\underline{000} \underline{000} \underline{00}$
$0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0$ O 0
$\underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 1 \underline{0} 0 \underline{0} 1 \underline{0} 0 \underline{0} 1 \underline{0} 0 \underline{0} 0 \underline{0}$ $0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0$ $\underline{1000} 0 \underline{1} 0 \underline{1}$ (Block 4.1)
$0 \underline{0} 0 \underline{1} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0$ 00
$\underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0}$ $0 \underline{0}$
$100 \underline{000} 000 \underline{000} 000 \underline{000} 000 \underline{000} 000 \underline{000} 000 \underline{000} 000$ $\underline{000} \overline{000} \underline{000} \overline{000} \underline{000} \overline{000} \underline{000} \overline{000} \underline{000} \overline{000} \underline{000} \overline{000} \underline{010}$

## 0001100

(Block 2.3)
00010000000000000000000000000010000101
$\underline{000} 000 \underline{000} 000 \underline{000} 000 \underline{000} 000 \underline{000} 000 \underline{000} 000 \underline{000}$
000000000 (Block 2.4)

## Section 3: Number of Blocks 3 (Odd)

Block 1 X Block 3
00000000000000010011110000000000000000
00000000000000000000000000000000000000
0001001101000000000000000000000000000
X
$\underline{00} \underline{00} \underline{00} 0000 \underline{00} 0000 \underline{00} \underline{00} 00 \underline{00} \underline{00} \underline{00} 00 \underline{00} \underline{00} \underline{00} \underline{00}$
$\underline{00} \underline{00} \underline{00} \underline{01} \underline{01} \underline{10} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00}$
$\underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{01} \underline{01} \underline{10}$ -
$00 \underline{00} 00 \underline{00} 00 \underline{00} 00 \underline{00} 00 \underline{00} 00 \underline{00} 00 \underline{00} 01 \underline{00} 00 \underline{00} 11$ $\underline{00} \overline{11} \underline{00} \overline{00} \underline{00} \overline{00} \underline{00} \overline{00} \underline{00} \overline{00} \underline{00} \overline{00} \underline{00} \overline{00} \underline{00} \overline{00} \underline{00} \overline{00} \underline{00}$ $00 \underline{00} 00 \underline{00} 00 \underline{00} 00 \underline{01} 00 \underline{01} 00 \underline{10} 00 \underline{00} 00 \underline{00} 00 \underline{00} 0$

## (Block 3.1)

0000000000000000000000000000000000000 00000001000000110001000000000000000000 0000000000000000000000000000000100010 100 (Block 3.3)

Block 3.2 is same as Block 2 of section 3.

## Section 4: Number of Blocks 2 (Even)

## Block 1 X Block 2

1000000000000000000000000000000 0000000000000000000000000001010 1000000000000000000000000000000 0000000000000000000000000000010 01011000000000000000000000000000 00000000000000
X
$\underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{1} \underline{0} \underline{1} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0}$
$\underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0}$
$\underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{1} \underline{0} \underline{1} \underline{1} \underline{0} \underline{1} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0}$ $\underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0}$ $\underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{1} \underline{0} \underline{1} \underline{1} \underline{1} \underline{1} \underline{0} \underline{0} \underline{0}$
Q $\underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0}$
$\underline{0} \underline{0} \underline{0} \underline{0} \underline{0}$
$1 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0$ 00
$0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 1 \underline{0} 0 \underline{0} 0 \underline{0} 1 \underline{0} 0 \underline{0} 1 \underline{0} 1 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0$ 00
$\underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{1} 0 \underline{0} 0 \underline{0} 0 \underline{1} 0 \underline{1} 0 \underline{1}$ 01
$0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0 \underline{0} 0$ $\underline{0} 0$

Section 5: Number of Blocks 7 (Odd)
Block 1 X Block 7
000000000000000000000000000000000000010010 100000
X
$\underline{000001} \underline{010101} \underline{000000} \underline{000000} \underline{000000} \underline{000000} \underline{000000}$ 00000000000
$000000 \underline{000001} 000000 \underline{010101} 000000 \underline{000000} 000000$ 000000 (Block 5.1)
$000000 \underline{000000} 000000 \underline{000000} 010010 \underline{000000} 100000$ $\underline{000000} \underline{00000}$ (Block 5.7)

Block 2 X Block 6
000000000000000000000000000000000000000000 000000
X
$\underline{000000} \underline{000000} \underline{000000} \underline{000000} \underline{000000} \underline{000000} \underline{000000}$ 000000
$000000 \underline{000000} 000000 \underline{000000} 000000 \underline{000000} 000000$
000000 (Block 5.2)
$000000 \underline{000000} 000000 \underline{000000} 000000 \underline{000000} 000000$ 000000 (Block 5.6)

Block 3 X Block 5
000001011000000000000000000000000000000000 000000
X
$\underline{000000} \underline{000000} \underline{000000} \underline{000000} \underline{000000} \underline{000000} \underline{010001}$ 110000
$000001000000011000 \underline{000000} 000000 \underline{000000} 000000$ 000000 (Block 5.3)
$000000 \underline{000000} 000000 \underline{000000} 000000 \underline{010001} 000000$ 110000 (Block 5.5)
Block 5.4 is same as Block 4 of section 5.

## Section 6: Number of Blocks 8 (Even)

Block 1 X Block 2
000000000000000010011110000000000000000000
X
$\underline{0000000} \underline{0000000} \underline{0000000} \underline{0000000} \underline{0000000} \underline{0001010}$ International Journal of Advanced Research in Computer and Communication Engineering Vol. 3, Issue 7, July 2014

000000000000000000000000000000100110000000

## (Block 6.1)

$1100000 \underline{0000000} 0000000 \underline{0000000} 0000000 \underline{0001010}$ (Block 6.2)

Block 3 X Block 4
011000000000000000000000000000000000000000 X
$\underline{0000000} 0000000 \underline{0000100} 1111000 \underline{0000000} 0000000$ $011000000000000000000 \underline{0000000} 00000000000100$ (Block 6.3)
$0000000 \underline{1111000} 0000000 \underline{0000000} 0000000 \underline{0000000}$ (Block 6.4)

Block 5 X Block 6
000000000000000000000000000000000000000010 X
$1011000 \underline{0000000} \underline{0000000} \underline{0000000} \underline{0000000} \underline{0000000}$
000000010110000000000000000000000000000000
(Block 6.5)
$0000000 \underline{0000000} 0000000 \underline{0000000} 0000010 \underline{0000000}$ (Block 6.6)

Block 7 X Block 8
000000000000000000001011000000000000000000

## X

$00000000000000 \underline{0000000} \underline{0000000} \underline{0000000} \underline{0000000}$ 10010
000000000000000000000000000000000010000000 (Block 6.7)
$0110000 \underline{0000000} 0000000 \underline{0000000} 0000000 \underline{0000000}$ 10010 (Block 6.8)

Now concatenate all the modified blocks and discarded bits'11' to produce the final cipher text. The total number of bits in final cipher text is 2048. The 2048 bits will be divided into 32 blocks each of 64 bits. The decimal equivalent of each number is shown below:

1) 0000000000000000000000000000000000000000000 $000000000000000000000=0$
2) 0000000000000000000000000000000000000000000 $000000000000000000000=0$
3) 0000000000000000000000000000000000000000000 $000000000000001001111=79$
4) 0000000000000000000000000000000000000100000 $000010101000001100000=67194976$
5) 0000000000000000000000000000000001000000011 $100000000000000000101=1081081861$
6) 0000100100000000000000000000000000000000000 $000000000001000000110=648518346341351942$
7) 0010000000000000000000000000010000001100010 $000000000000000000000=2305843026599084032$
8) 0000000000000000000000000000000000000000000 $000000000010000001011=1035$
9) 0000000000000000000000000000000000000000000 $000000000000000000000=0$
10) 0000000000010000110000010000000000000000000 $000000010000101000000=4715805371539776$
11) 0000000000000000000000000000000000000000000 $000000000000000000000=0$
12) 0000000100000011001100000000000000000000000 $000000000000000000001=72954795526193152$
13) 0000010001001000000000000000000000000000000 $000000000000001010100=19281035904679941$
14) 0000000000000000000000000000000000000000000 $000000000000001010100=84$
15) 0000000000000000000000000000000000000000000 $000000000000010000001=129$
16) 1000100000000000000000000000000000000000000 $000000000001000101001=9799832789158199849$
17) 0000000000000000000000000000000010000000100 $010000000000000000000=2156396544$
18) 0000000000000000000000000000000000000000000 $000000001000100010000=4368$
19) 0000000000000000000000000000000010000010100 $010000000000000000000=2189950976$
20) 0000000000000000000000000000000000000000000 $000000001000001000101=4165$
21) 0000000000000000000000000000000010000010101 $010000000000000000000=2192048128$
22) 0000000000000000000000000000000100000001010 $100000000000000000000=4316987392$
23) 0000000000000000000000000000000000000000000 $000000000000001000000=64$
24) 0110000000000000000000000000000000000000000 $000000000000001011001=6917529027641081945$
25) 0000000000000000000000000000000000000000000 $000000001000100000011=4355$
26) 0000000000000000000000000000000000000000000 $000000000000000000000=0$
27) 0000000000000100100000001000000000000000000 $000000000000000000000=1267187151011840$
28) 0000000100110000000110000000000000000000000 $000000000000001010011=85594781199106131$
29) 0000000000000000000000000000000000001000000 $000111100000000000000=134463488$
30) 0000000000000000000000001011000000000000000 $000000000000000000000=755914244096$
31) 0000000000000000000000000000100000000000000 $000000000000000000000=34359738368$
32) 0000000100000000110000000000000000000000000 $000000000000001001011=72268700270461003$

The final cipher text is
$\begin{array}{lllll}0 & 0 & 79 & 67194976 & 1081081861 \\ 648518346341351942\end{array}$ $2305843026599084032 \quad 1035 \quad 0 \quad 4715805371539776 \quad 0$ 729547955261931521928103590467994184129 $979983278915819984921563965444368 \quad 2189950976$ $4165 \quad 2192048128 \quad 4316987392 \quad 64$ $6917529027641081945 \quad 4355 \quad 0 \quad 1267187151011840$ $85594781199106131 \quad 134463488 \quad 755914244096$ 3435973836872268700270461003

## B. Decryption

At the decryption side, the input is the final cipher text obtained from the encryption.

Key- $1=84$, key $-2=6543278$. Again by using key- 2 the cipher text is divided into sections and blocks. Each section consists of $(2048 / 6)=341$ bits and the remainder ' 11 ' is discarded for future use.

| Section 1 ( Each Block contains(341/5) bits or 68 bits with 1 |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| remainder |  |  |  |  |
| Block 1 | Block 2 | Block 3 | Block 4 | Block 5 |
| 00000000 | 00000000 | 00000000 | 00000000 | 00000000 |
| 00000000 | 00000000 | 00000000 | 00000000 | 00000000 |
| 000000000 | 00000000 | 00000000 | 00000000 | 01000000 |
| 00000000 | 00000000 | 00000000 | 01000000 | 01110000 |
| 00000000 | 00000000 | 00000000 | 00010101 | 00000000 |
| 00000000 | 00000000 | 00000000 | 00000110 | 00000101 |
| 000000000 | 00000000 | 01001111 | 00000000 | 00001001 |
| 00000000 | 00000000 | 00000000 | 00000000 | 00000000 |
| 0000 | 0000 | 0000 | 0000 | 00001 |

Section 2 ( Each Block contains(341/4) bits or 85 bits with 1 remainder

| Block 1 | Block 2 | Block 3 | Block 4 |
| :--- | :--- | :--- | :--- |
| 0000000000 | 0000000000 | 1000000000 | 0001000000 |
| 0000000000 | 0000000000 | 0000000000 | 0000000000 |
| 0000000000 | 0000000000 | 0000000000 | 0000000000 |
| 0001000000 | 0000000000 | 0000000000 | 1000010100 |
| 1100010000 | 0000000000 | 0000000000 | 0000000000 |
| 0000000000 | 0000000000 | 0000000000 | 0000000000 |
| 0000000000 | 0000000000 | 0000000000 | 00000000000 |
| 0010000001 | 0000010000 | 0000001000 | 0000000000 |
| 10001 | 00101 | 01100 | 000000 |


| Section 3 (Each Block contains(341/3) bits or 113 bits with 2 |  |  |
| :---: | :--- | :--- |
| remainder |  |  |$|$| Block 1 |  |
| :---: | :---: |


| Section 4 (Each Block contains(341/2) bits or 170 bits with 1 <br> remainder |  |
| :---: | :--- |
| Block 1 | Block 2 |
| 10000000000000000000000 | 00010000000000000000000 |
| 000000000100000001000100 | 000000000000000000000000 |
| 00000000000000000000000 | 00000000000000000000000 |
| 000000000000000000000000 | 001000001000101000000000 |
| 000000000000000000001000 | 000000000000000000000001 |
| 10001000000000000000000 | 000001010101000000000000 |
| 000000000000000001000001 | 000000000000000000000000 |
| 01 | 000 |


| Section 5 ( Each Block contains(341/7) bits or 48 bits with 5 |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Block | Block | Block | Block | Block | Block | Block |  |
| 1 | 2 | 3 | 4 | 5 | 6 | 7 |  |
| 00000 | 00000 | 00000 | 00000 | 00000 | 00000 | 00000 |  |
| 00000 | 00000 | 10000 | 00000 | 00000 | 00000 | 00000 |  |
| 01000 | 00000 | 00011 | 00000 | 00000 | 00000 | 00000 |  |
| 00001 | 00000 | 00000 | 00000 | 00000 | 00000 | 00000 |  |
| 01010 | 00000 | 00000 | 01011 | 00000 | 00000 | 00000 |  |
| 00000 | 00000 | 00000 | 00100 | 00000 | 00000 | 10010 |  |
| 00000 | 00000 | 00000 | 00000 | 01000 | 00000 | 00000 |  |
| 00000 | 00000 | 00000 | 00000 | 10000 | 00000 | 01000 |  |
| 00000 | 00000 | 00000 | 00000 | 00110 | 00000 | 00000 |  |
| 000 | 000 | 000 | 000 | 000 | 000 | 00000 |  |
|  |  |  |  |  |  | 000 |  |
|  |  |  |  |  |  |  |  |


| Section 6 ( Each Block contains(341/8) bits or 42 bits with 5 remainder |  |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Block1 | Block2 | Block3 | Block4 | Block5 | Block6 | Block7 | Block8 |
| 0000 | 1100 | 0110 | 0000 | 0000 | 0000 | 0000 | 0110 |
| 0000 | 0000 | 0000 | 0001 | 0001 | 0000 | 0000 | 0000 |
| 0000 | 0000 | 0000 | 1110 | 0110 | 0000 | 0000 | 0000 |
| 0000 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 |
| 0000 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 |
| 0000 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 |
| 0000 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 |
| 0010 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 | 0000 |
| 0110 | 0000 | 0000 | 0000 | 0000 | 0100 | 0010 | 0000 |
| 0000 | 001010 | 0001 | 0000 | 0000 | 0000 | 0000 | 0000 |
| 00 |  | 00 | 00 | 00 | 00 | 00 | 0010 |
|  |  |  |  |  |  |  | 010 |

The uniform point crossover is applied on the blocks of every section to generate intermediate cipher text.

## Section 1: Number of Blocks 5 (Odd)

Block 1 X Block 5
$0000^{(1)} 0000^{(2)} 0000^{(3)} 0000^{(4)} 0000^{(5)} 0000^{(6)} 0000^{(7)} 0000^{(8)}$ $0000^{(9)} 0000^{(10)} 0000^{(11)} 0000^{(12)} 0000^{(13)} 0000^{(14)} 0000^{(15)}$ $0000^{(16)} 0000^{(17)}$

X
$\underline{0000^{(1)}} \quad \underline{0000^{(2)}} \quad \underline{0000^{(3)}} \quad \underline{0000^{(4)}} \quad \underline{0100^{(5)}} \quad \underline{0000^{(6)}} \quad \underline{0111^{(7)}}$
 $0000^{(15)} 0000^{(16)} 0000^{(17)} \frac{1^{(18)}}{000}$
$0000^{(1)} 0000^{(3)} 0000^{(5)}-0000^{(7)} 0000^{(9)} 0000^{(11)} 0000^{(13)}$ $0000^{(15)} \quad 0000^{(17)} \underline{0000^{(2)}} \underline{0000^{(4)}} \underline{0000^{(6)}} \underline{0000^{(8)}} \underline{0000^{(10)}}$ $0101^{(12)} 1001^{(14)} 0000^{(16)}$ (Block 1.1)
$0000^{(2)} \frac{0000^{(4)}}{0000^{(6)}} 0000^{(8)} 0000^{(10)} 0000^{(12)} 0000^{(14)}$
$0000^{(16)} \underline{0000^{(1)}} \underline{0000^{(3)}} \frac{0100^{(5)}}{0111^{(7)}} \underline{0000^{(9)}} \underline{0000^{(11)}}$ $0000^{(13)} \underline{0000^{(15)}} \underline{0000^{(17)}} 1^{\frac{118)}{(18)} \text { (Block 1.5) }}$

Block 2 X Block 4
0000000000000000000000000000000000000000 0000000000000000000000000000
X
$\underline{0000} \underline{0000} \underline{0000} \underline{0000} \underline{0000} \underline{0000} \underline{0100} \underline{0000} \underline{0001} \underline{0101}$ $\underline{0000}$
011000000000000000000000
0000000000000000000000000000000000000000 $\underline{0000} \underline{0000} \underline{0000} \underline{0101} \underline{0110} \underline{0000} \underline{0000 \text { (Block 1.2) }}$
$00000000000000000000000000000000 \underline{0000} \underline{0000}$ $\underline{0000} \underline{0100} \underline{0001} \underline{0000} \underline{0000} \underline{0000} \underline{0000(B l o c k ~ 1.4)}$

Block 1.3 is same as Block 3 of section 1.

## Section 2: Number of Blocks 4 (Even)

Block 1 X Block 2
000000000000000000000000000000000100000 011000100000000000000000000000000100000 0110001
X
$\underline{00} 000 \underline{000} 000000 \underline{000} 000 \underline{000} 000 \underline{000} 000 \underline{000} 000$ $\underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{010}$ 00000101
000000000000000000000000000000000000100 $011100 \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000}$ $\underline{000} 0000$ (Block 2.1)

000000000000000100011100000000000000000 $000000 \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000}$ 0100011 (Block 2.2)

Block 3 X Block 4
100000000000000000000000000000000000000 000000000000000000000000000000000000010 0001100
X
$\underline{00} \underline{010} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{010} \underline{000} \underline{101}$ $\underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000}$ $\underline{000} \underline{000} \underline{0} \underline{00}$

100000000000000000000000000000000000000 $0000 \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{010} \underline{101} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000}$ 0000000
(Block 2.3)
000000000000000000000000000000000000010 $110 \underline{010} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000} \underline{000}$ $\underline{000} \underline{000} \underline{00}$ (Block 2.4)

## Section 3: Number of Blocks 3 (Odd)

Block 1 X Block 3
00000000000000000000000000000100000011
00110000000000000000000000000000000000 0000000000000001000100100000000000000 X
$\underline{0} 00 \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00}$ 00000001000000110001000000000000000000
0000000000000000000000000000000100010 $\underline{10} 0$
00000000000000010011110000000000000000
00000000000000000000000000000000000000
$0001001101000000 \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{0}$

## (Block 3.1)

00000000000000000000000000000000000000
00000001011000000000000000000000000000 $00 \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{00} \underline{01} \underline{01} \underline{10}$ $\underline{0}$

## (Block 3.3)

Block 3.2 is same as Block 2 of section 3
Section 4: Number of Blocks 2 (Even)
Block 1 X Block 2
1000000000000000000000000000000 0010000000100010000000000000000 0000000000000000000000000000000 0000000000000000000000010001000 1000000000000000000000000000000 000000100000101

## X

$\underline{0} \underline{0} \underline{0} \underline{1} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0}$
$\underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0}$
OOOOQOQOQOOQ1000001000101000000 $\underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{1} \underline{0} \underline{0} \underline{0} \underline{0}$ $\underline{1} \underline{0} \underline{0} 1 \underline{0} \underline{1}$
$\underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0}$
00000000
1000000000000000000000000000000
0000000000000000000000000001010 1000000000000000000000000000000
$\underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{1} \underline{0}$
$\underline{0} \underline{1} \underline{0} \underline{1} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0}$ $0 \underline{0} 0000000$
00000 (Block 4.1)

0000000000000000100010100000000 0000000000000000000000000000000 $00000000000000000010011 \underline{0} \underline{1} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0}$ $\underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0}$ $\underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{0} \underline{1} \underline{0} \underline{1} \underline{1} \underline{1} \underline{1} \underline{0} \underline{0} \underline{0} \underline{0}$

## 0000000000000000 (Block 4.2)

## Section 5: Number of Blocks 7 (Odd)

Block 1 X Block 7
000000000001000000010101000000000000000000 000000

X
$\underline{000000} \underline{000000} \underline{000000} \underline{000000} \underline{010010} \underline{000000} \underline{100000}$ 00000000000
000000000000000000000000000000000000010010 100000 (Block 5.1)
$000001010101000000000000 \underline{000000} \underline{000000} \underline{000000}$ 00000000000 (Block 5.7)
Block 2 X Block 6
000000000000000000000000000000000000000000 000000

X
$\underline{000000} \underline{000000} \underline{000000} \underline{000000} \underline{000000} \underline{000000} \underline{000000}$ 000000
$000000000000000000000000 \underline{000000} \underline{000000} \underline{000000}$ 000000 (Block 5.2)
$000000000000000000000000 \underline{000000} \underline{000000} \underline{000000}$ 000000 (Block 5.6)

Block 3 X Block 5
000001000000011000000000000000000000000000 000000
X
000000000000000000000000000000010001000000 110000
000001011000000000000000000000000000000000
000000 (Block 5.3)
$000000000000000000000000 \underline{000000} \underline{000000} \underline{010001}$ 110000 (Block 5.5)

Block 5.4 is same as Block 4 of section 5.
Section 6: Number of Blocks 8 (Even)
Block 1 X Block 2
000000000000000000000000000000100110000000 X
1100000000000000000000000000000000000001010 0000000000000000100111100000000000000000000 (Block 6.1)
$000000000000000000000 \underline{0000000 \underline{0000000} \underline{0001010}}$
(Block 6.2)
Block 3 X Block 4
011000000000000000000000000000000000000100 X

000000011110000000000000000000000000000000 011000000000000000000000000000000000000000 (Block 6.3)
$000000000000000000100 \underline{1111000} \underline{0000000} \underline{0000000}$

## (Block 6.4)

Block 5 X Block 6
000000010110000000000000000000000000000000
X

000000000000000000000000000000000100000000 000000000000000000000000000000000000000010 (Block 6.5)
$101100000000000000000 \underline{0000000} \underline{0000000} \underline{0000000}$ (Block 6.6)

Block 7 X Block 8
000000000000000000000000000000000010000000 X
$\underline{0110000} \underline{0000000} \underline{0000000} \underline{0000000} \underline{0000000} \underline{0000000}$ 10010
$000000000000000000001 \underline{0110000} \underline{0000000} \underline{0000000}$
(Block 6.7)
000000000000000000000000000000000000000000 10010
(Block 6.8)
Concatenate all the modified blocks along with the discarded bits ' 11 ' to produce the intermediate cipher text. Now the total 2048 bits of intermediate cipher text will be divided into 32 blocks of 64bits.

TABLE II
REPRESENTATION OF 64 BITS BINARY CODE OF INTERMEDIATE CIPHER IN CHARACTERS

| Binary Code(64-bits) of ASCII value | Charac <br> ter |
| :---: | :---: |
| 00000000000000000000000000000000000 <br> 000000000000000000000001011001 | Y |
| 000000000000000000000000000000000 <br> 00000000000000000000001010110 | V |
| 0000000000000000000000000000000000 <br> 000000000000000000000001001111 | O |
| 000000000000000000000000000000000 <br> 00000000000000000000001000001 | A |
| 0000000000000000000000000000000000 <br> 000000000000000000000001000111 | G |
| 0000000000000000000000000000000000 <br> 000000000000000000000001000111 | G |
| 0000000000000000000000000000000000 <br> 000000000000000000000001000111 | G |
| 0000000000000000000000000000000000 <br> 000000000000000000000001000111 | G |
| 0000000000000000000000000000000000 <br> 00000000000000000000001010100 | T |
| 0000000000000000000000000000000000 <br> 000000000000000000000001011001 | Y |
| 0000000000000000000000000000000000 <br> 000000000000000000000001001111 | O |
| 000000000000000000000000000000000 <br> 00000000000000000000001001101 | M |
| 0000000000000000000000000000000000 <br> 000000000000000000000001010100 | T |
| 00000000000000000000000000000000 <br> 000000000000001010100 | T |
| 0000000000000000000000000000000000 <br> 000000000000000000000001011000 | X |
| 0000000000000000000000000000000000 <br> 00000000000000000000001011001 | Y |
| 0000000000000000000000000000000000 | T |
| ( |  |


| 000000000000000000000001010100 |  |
| :---: | :---: |
| 00000000000000000000000000000000 <br> 000000000000000000000001001011 | K |
| 000000000000000000000000000000000 <br> 000000000000000000000001000101 | E |
| 0000000000000000000000000000000000 <br> 000000000000000000000001001101 | M |
| 00000000000000000000000000000000 <br> 000000000000000000000001001111 | O |
| 0000000000000000000000000000000000 <br> 000000000000000000000001001010 | J |
| 0000000000000000000000000000000000 <br> 00000000000000000000001011000 | X |
| 0000000000000000000000000000000000 <br> 000000000000000000000001011001 | Y |
| 0000000000000000000000000000000000 <br> 000000000000000000000001000111 | G |
| 0000000000000000000000000000000000 <br> 000000000000000000000001010101 | U |
| 0000000000000000000000000000000000 <br> 000000000000000000000001001111 | O |
| 00000000000000000000000000000000 <br> 000000000000000000000001010011 | S |
| 0000000000000000000000000000000000 <br> 000000000000000000000001001111 | O |
| 0000000000000000000000000000000000 <br> 00000000000000000000001010110 | V |
| 00000000000000000000000000000000 |  |
| 00000000000000000000001011000 |  | X

Intermediate cipher text is:

## YVOAGGGGTYOMTTXYTKEMOJXYGUOSOVXK

Substitute the intermediate cipher text by its positional values and subtract it by key-1 to obtain the plain text. As the subtraction of intermediate cipher by key- 1 results a negative number, adding the intermediate cipher text with 78,104 is desirable $(26+26+26=78,26+26+26+26=104)$. $\mathrm{Y}=(25+78)-84=19=\mathbf{S}, \mathrm{V}=(22+78)-84=16=\mathbf{P}, \mathrm{O}$ $=(15+78)-84=9=\mathbf{I}, \mathrm{A}=(1+104)-84=21=\mathbf{U}, \mathrm{G}=$ $(7+78)-84=1=\mathbf{A}, G=(7+78)-84=1=\mathbf{A}, G=(7+78)$ $-84=1=\mathbf{A}, \mathrm{G}=(7+78)-84=1=\mathbf{A}, \mathrm{T}=(20+78)-84$ $=14=\mathbf{N}, \mathrm{Y}=(25+78)-84=19=\mathbf{S}, \mathrm{O}=(15+78)-84=$ $9=\mathbf{I}, \mathrm{M}=(13+78)-84=7=\mathbf{G}, \mathrm{T}=(20+78)-84=14=$ $\mathbf{N}, \mathrm{T}=(20+78)-84=14=\mathbf{N}, \mathrm{X}=(24+78)-84=18=\mathbf{R}$, $\mathrm{Y}=(25+78)-84=19=\mathbf{S}, \mathrm{T}=(20+78)-84=14=\mathbf{N}, \mathrm{K}$ $=(11+78)-84=5=\mathbf{E}, \mathrm{E}=(5+104)-84=25=\mathbf{Y}, \mathrm{M}=$ $(13+78)-84=7=\mathbf{G}, \mathrm{O}=(15+78)-84=9=\mathbf{I}, \mathrm{J}=$ $(10+78)-84=4=\mathbf{D}, \mathrm{X}=(24+78)-84=18=\mathbf{R}, \mathrm{Y}=$ $(25+78)-84=19=\mathbf{S}, \mathrm{G}=(7+78)-84=1=\mathbf{A}, \mathrm{U}=$ $(21+78)-84=15=\mathbf{O}, \mathrm{O}=(15+78)-84=9=\mathbf{I}, \mathrm{S}=$ $(19+78)-84=13=\mathbf{M}, \mathrm{O}=(15+78)-84=9=\mathbf{I}, \mathrm{V}=$ $(22+78)-84=16=\mathbf{P}, \mathrm{X}=(24+78)-84=18=\mathbf{R}, \mathrm{K}=$ $(11+78)-84=5=\mathbf{E}$

Now, each character obtained is placed in the cells and the plain text is obtained from the proposed technique as shown in Figure-6.

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| S | P | I | U | A | A | A |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| A | N | S | I | G | N | N |
| R | S | N | E | Y | G |  |
| I | D | R | S | A | O |  |
| I | M | I | P | R | E |  |

Figure-6. Arrangement of decrypted characters in the cells to obtain the plain text

Plaintext:
SPAINRUSSIAINDIAGERMANYSINGAPORE

## V. SYNTHESIS RESULTS AND COMPARISON

The synthesis results for transmitting a 16 characters input plain text BIOTECHNOLOGICAL using three different crossover operations i.e., single, double and uniform point crossover is observed. The synthesis results and comparison is shown in the Table-3.

TABLE-3
SYNTHESIS RESULTS OF VARIOUS CROSSOVER OPERATIONS

| Device <br> Utilization | Single <br> Point <br> Crossover | Double <br> Point <br> Crossover | Uniform <br> Point <br> Crossover |
| :---: | :---: | :---: | :---: |
| No. of slices <br> (14752) | 11877 | 4646 | 4660 |
| No. of 4 input <br> LUTs <br> (29504) | 22572 | 8657 | 8676 |
| No. of Bonded <br> IOBs | 2048 | 2048 | 2048 |
| Combinational <br> Path Delay in <br> ns | 68.332 | 54.820 | 54.764 |

The synthesis results for transmitting a 18 characters input plain text ALLROADSLEADTOROME using three different sizes of matrix i.e., square, rectangular, matrix with different number of cells (as used in the proposed technique) is observed. The synthesis results and comparison is shown in the Table-4.

TABLE-4
SYNTHESIS RESULTS OF DIFFERENT SIZE OF MATRICES

| Device Utilization | Square <br> Matrix | Rectangular <br> Matrix | Least Square <br> Matrix with <br> Column Cells |
| :---: | :---: | :---: | :---: |
| No. of slices (14752) | 17218 | 12497 | 12427 |
| No. of 4 input LUTs <br> (29504) | 32796 | 23762 | 23646 |
| No. of Bonded IOBs | 3200 | 2304 | 2304 |
| Combinational Path <br> Delay in ns | 66.010 | 68.644 | 64.619 |

The synthesis results for transmitting a input plain text using different digits of key-2 is observed. The synthesis results shown below in the Table-5.

TABLE-5
SYNTHESIS RESULTS OF DIFFERENT DIGITS OF
KEY-2

| Device <br> Utilizatio <br> n | Different Key-2 Used |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | 4532 | 65743 | 7654321 | 843217695 |
| No. of <br> slices <br> $(14752)$ | 11072 | 11072 | 11072 | 11072 |
| No. of 4 <br> input <br> LUTs <br> (29504) | 21069 | 21069 | 21069 | 21069 |
| No. of <br> Bonded <br> IOBs | 2048 | 2048 | 2048 | 2048 |
| Delay in <br> ns | 64.119 | 64.119 | 64.119 | 64.119 |

## VI. CONCLUSION

From the synthesis results of Section V, it is observed that

1) By using the uniform point crossover the more complex cipher text is generated with minimum device utilization and better delay performance. [TABLE-3]
2) To transmit a string of characters which is not a square number for example 18 characters, a $5 * 5$ square matrix is used. Out of the 25 available cells of the square matrix only 18 cells are used to place the characters and the other cells are kept empty to transmit 64 bits of 0 (zero) unnecessarily.
A rectangular matrix of size $6 * 3$ is also used to tranmit the 18 characters.
A nearby least square matrix to 18 is $4 * 4$ square matrix with 2 column cells is used to tranmit the same 18 characters which results in minimum device utilization with better delay performance [TABLE-4]
3) The algorithm is also performed using different digits of key-2. It is observed that using various values of key- 2 does not change the delay or device utilization ratio but using a larger key- 2 value consisting of different numbers in it makes the data more secure. [TABLE-5]
4) Thus in the proposed technique a uniform point crossover operation is performed which uses the nearby least square matrix with column cells according to the number of characters in the input plain text. The uniform point crossover has been proved to generate complex cipher text which makes the algorithm susceptible from the attacker. A 7-digit key-2 with different numbers in its digit is used to make the algorithm more secure.

TABLE-6 SYNTHESIS RESULTS OF PROPOSED AND EXISTING ALGORITHM

| Device Utilization | Existing <br> Algorithm | Proposed <br> Algorithm |
| :---: | :---: | :---: |
| No. of slices | 26168 | 21982 |
| No. of 4 input <br> LUTs | 49758 | 41765 |
| No. of Bonded <br> IOBs | 4608 | 4096 |
| Combinational <br> Path Delay in ns | 59.012 | 53.074 |

The Table-6 shows the synthesis results for transmitting 32 characters using the proposed algorithm and compares it with the existing algorithm. The existing algorithm ${ }^{[1]}$ uses the square matrix with single point crossover and a 5digit key-2 for transmission of 32 characters. It is observed that by using the proposed technique the device utilization ratio is comparatively less with minimum combinational path delay.

## VII. FUTURE SCOPE

The cryptographic algorithm can be performed using different crossover operators to obtain less combinational path delay with minimum device utilization. The different size of matrices can be tried for implementation. The fitness test can be applied to take the fittest modified block to generate more complex cipher text. Different types of crossover operations can be performed on blocks of different sections to make the algorithm more complex.

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